## LAKE ARROWHEAD OPTIMAL TRANSPORT SCHOOL 2013 LITERATURE LIST

## Optimal transport: general theory (the Monge-Kantorovich problem, Brenier's theory...)

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### Analysis of PDE related to mass transport (regularity and related topics).

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### Inequalities: isoperimetry, entropy and others.

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## Dynamics and gradient flows.

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