

Research statement

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Recently I have been looking at the following type of problem:

(•) (In ZFC , without conditions on the universe) Find a set–forcing extension of the universe in which $H(\omega_2)$ admits a definition, over the structure $\langle H(\omega_2), \in \rangle$, which is simple in the sense of logical complexity and, more importantly, which does not use any parameters.

I have also worked on several variations of the above question. One such variation is to ask for a definable well–order of $H(\omega_2)$, always without parameters, together with some strong form of forcing axiom. Another one is to replace ω_2 with κ^+ for an any uncountable regular cardinal κ , and even to look for a locally definable well–order of the universe while preserving large cardinals.

In order to deal with these problems I have developed various (quite unrelated) coding techniques. The extensions are always built using iterated forcing constructions.

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