

TOPICS FOR EXAM HARMONIC ANALYSIS

- (1) Harmonic functions in unit disc, maximum principle, Dirichlet problem
- (2) Wiener algebra
- (3) Harmonic extensions of Radon measures
- (4) L^2 functions, Plancherel
- (5) Spectral measures
- (6) The dyadic model of harmonic functions, martingales
- (7) Spectral resolution
- (8) Decomposition theorems for measures
- (9) Martingale average convergence theorems
- (10) Martingale differences and dyadic paraproducts
- (11) Outer measures, Outer L^p , Outer Hölder
- (12) Marcinkiewicz interpolation.
- (13) Embedding theorems
- (14) Hilbert transform, boundedness
- (15) BMO and Hardy space H^1
- (16) The Corona theorem
- (17) The Cauchy integral along Lipschitz curves
- (18) Grand embedding theorem
- (19) Adapted Haar functions, L^2 bounds
- (20) Carleson theorem on convergence of Fourier series.
- (21) Walsh Fourier series, convergence
- (22) Walsh wave packets, Walsh phase plane
- (23) Wave packet Embeddings into upper three space
- (24) Maximal embedding theorem for wave packets
- (25) The bilinear Hilbert transform